

computing
conference 2023

The Path to Autonomous Learners

Hanna Abi Akl

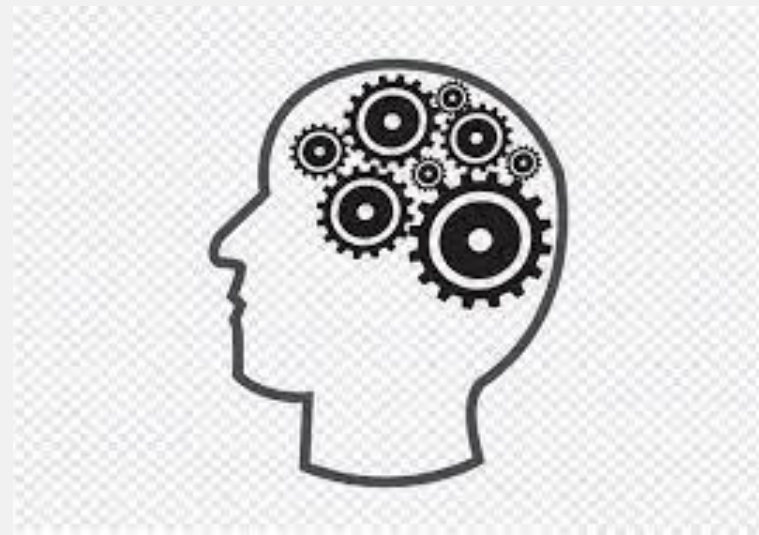
Data ScienceTech Institute

hanna.abi-akl@dsti.institute

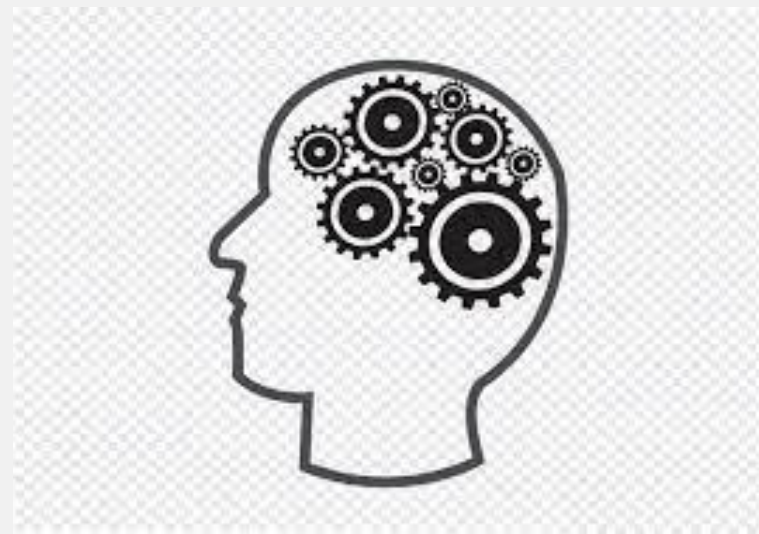


Data ScienceTech Institute

Research Questions



Is it possible to build a system that can learn with minimal input knowledge?



To what extent is such a system capable of reasoning on its own in an explainable and trustworthy manner?

Hypothesis

It is possible to build a framework that relies on an incremental learning mechanism based on higher-order concepts and accumulate new knowledge based on reasoning coupled with its existing data.

Solution: KD-LNN

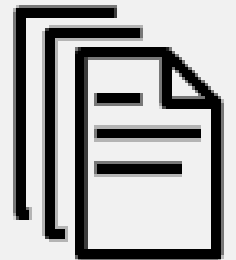
Knowledge-Driven Logical Neural Network is a theoretical framework based on:



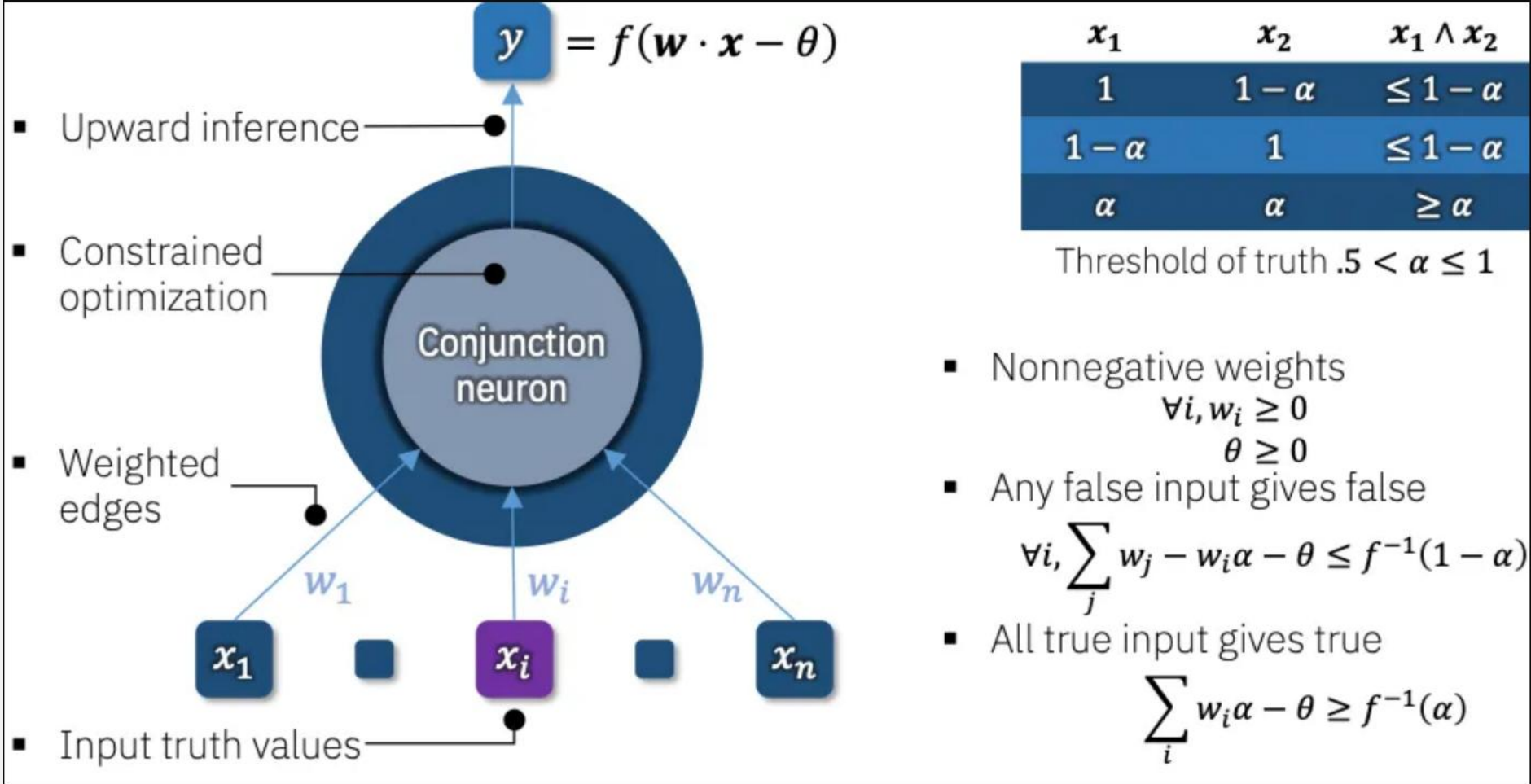
A model: A LNN base module for reasoning and learning



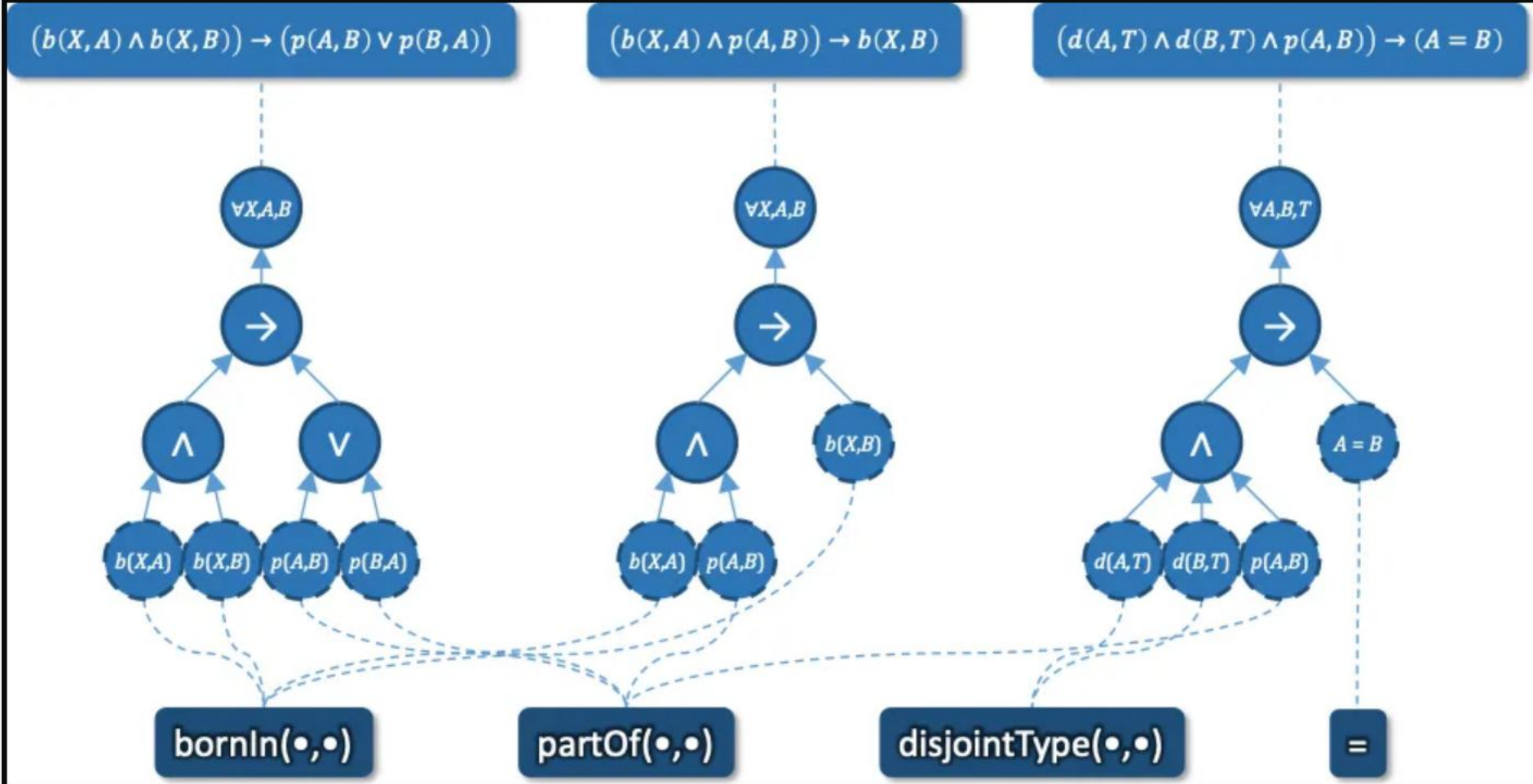
A knowledge base: A graph of concepts and their relations



A minimal input knowledge source: A starting set of concepts that serves as its initial data



A weighted, real-valued logical neuron and its associated constraints.



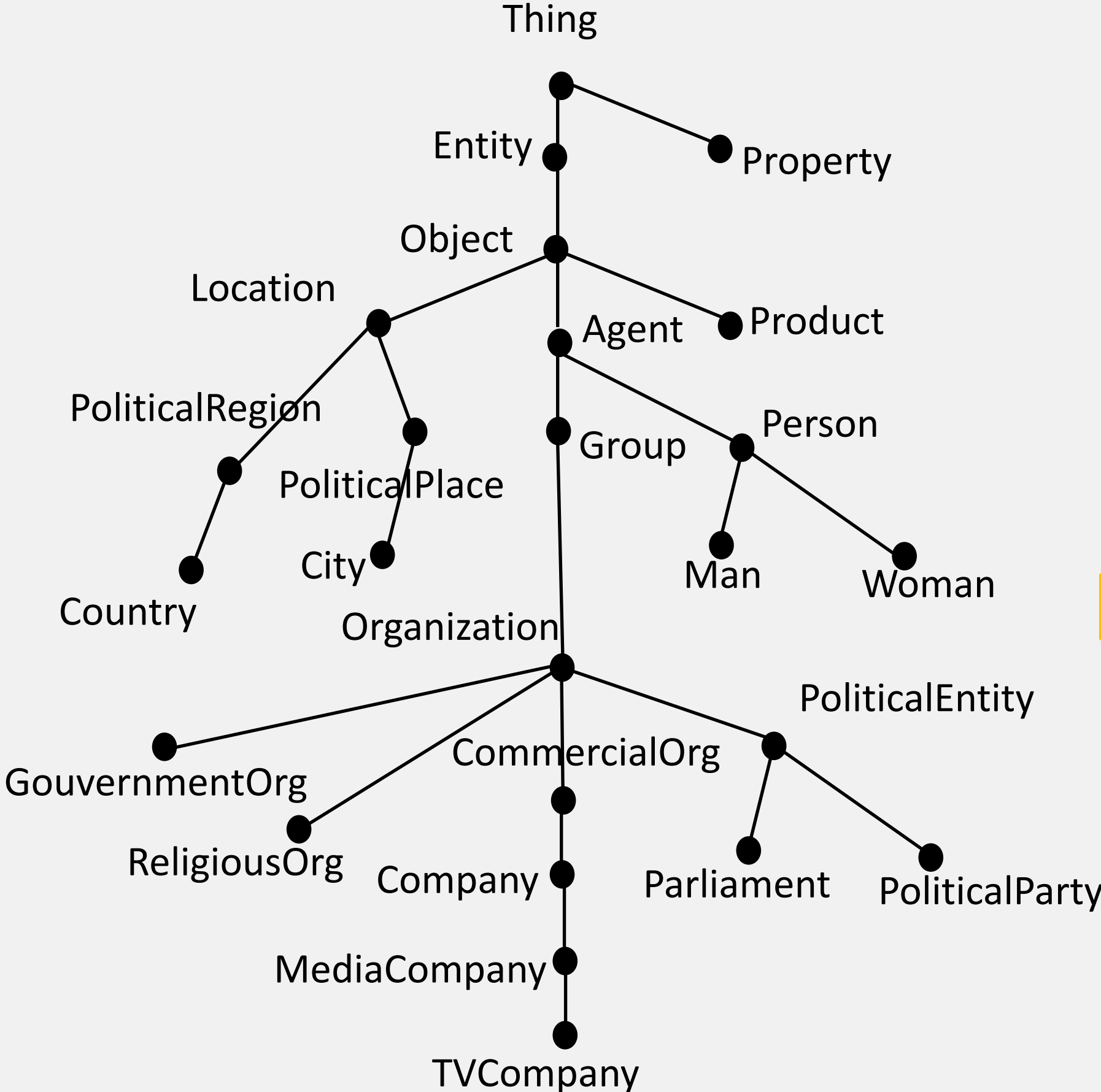
An example logical neural network structure modelling three rules.

KD-LNN Architecture

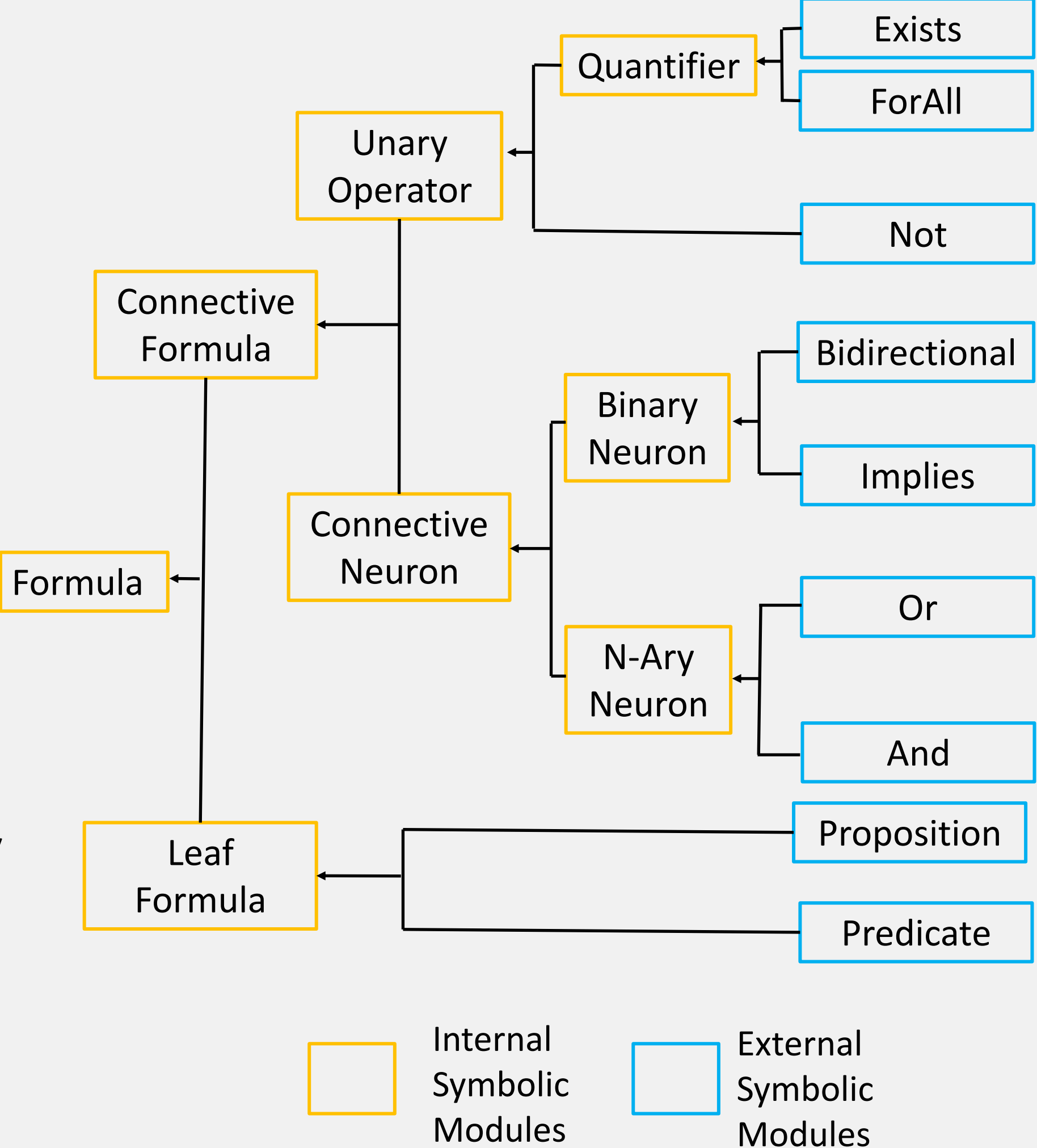
Data Ingestion



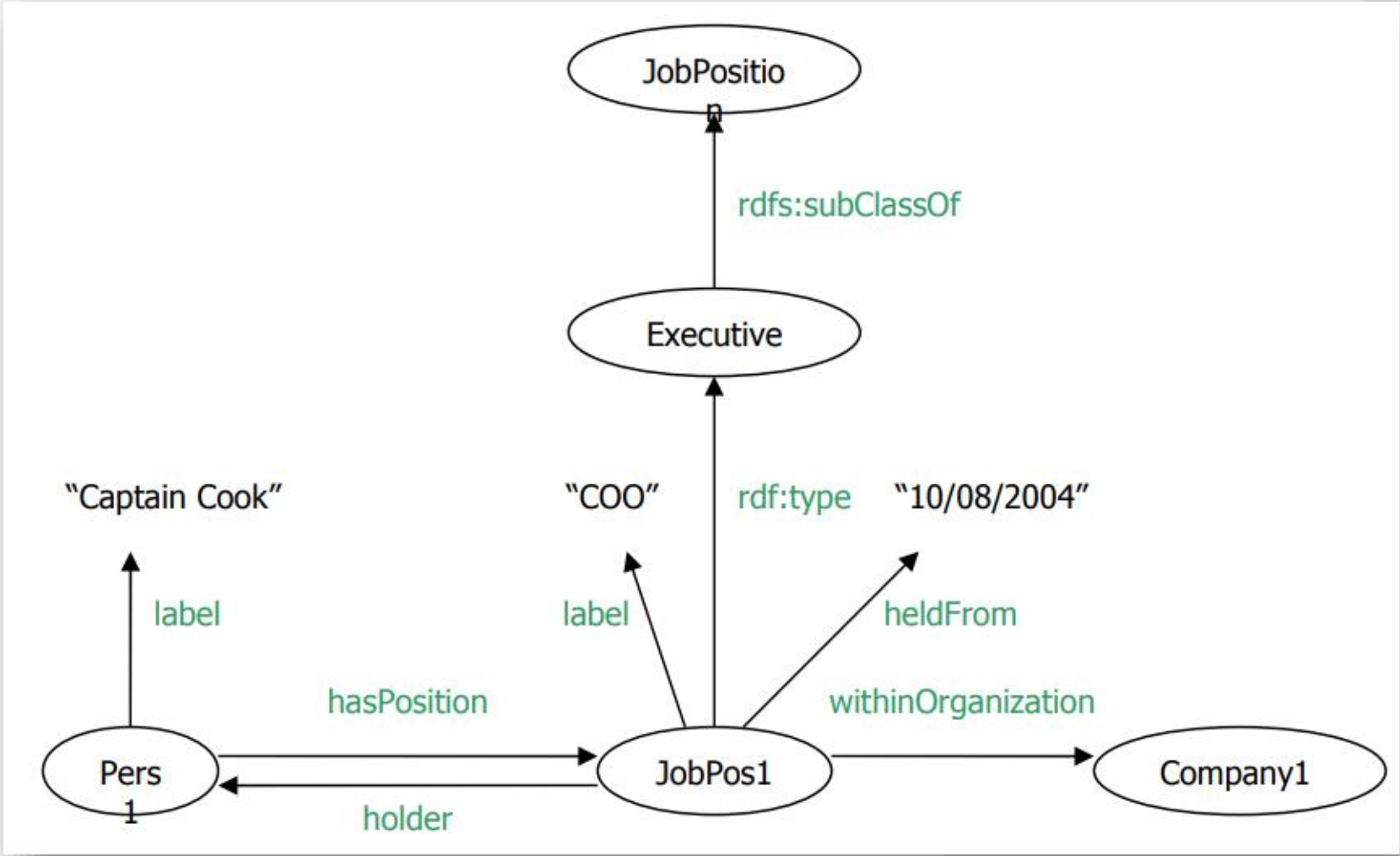
Data Modelling



Learning & Reasoning



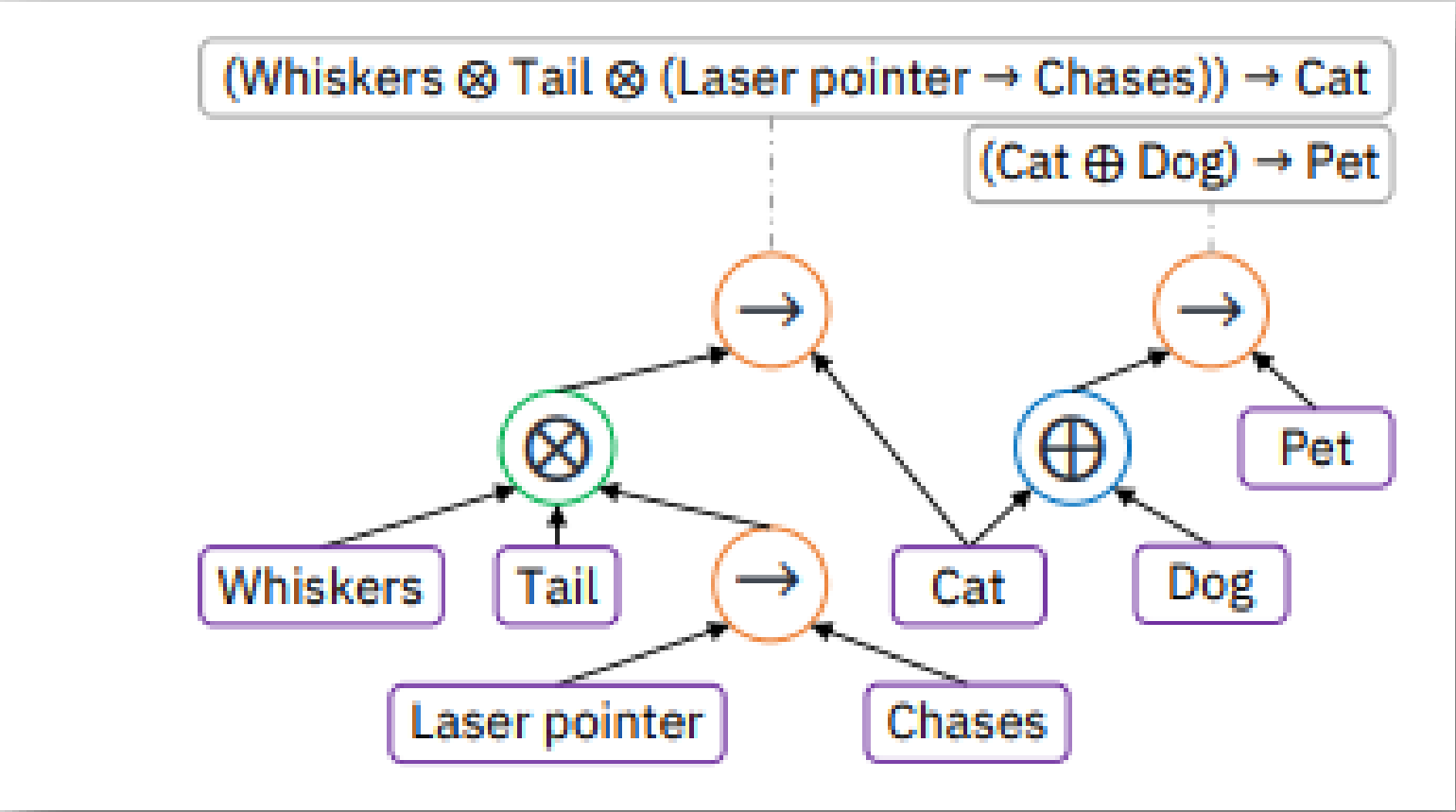
KD-LNN Advantages



Knowledge graph representation preserves entities and relationships

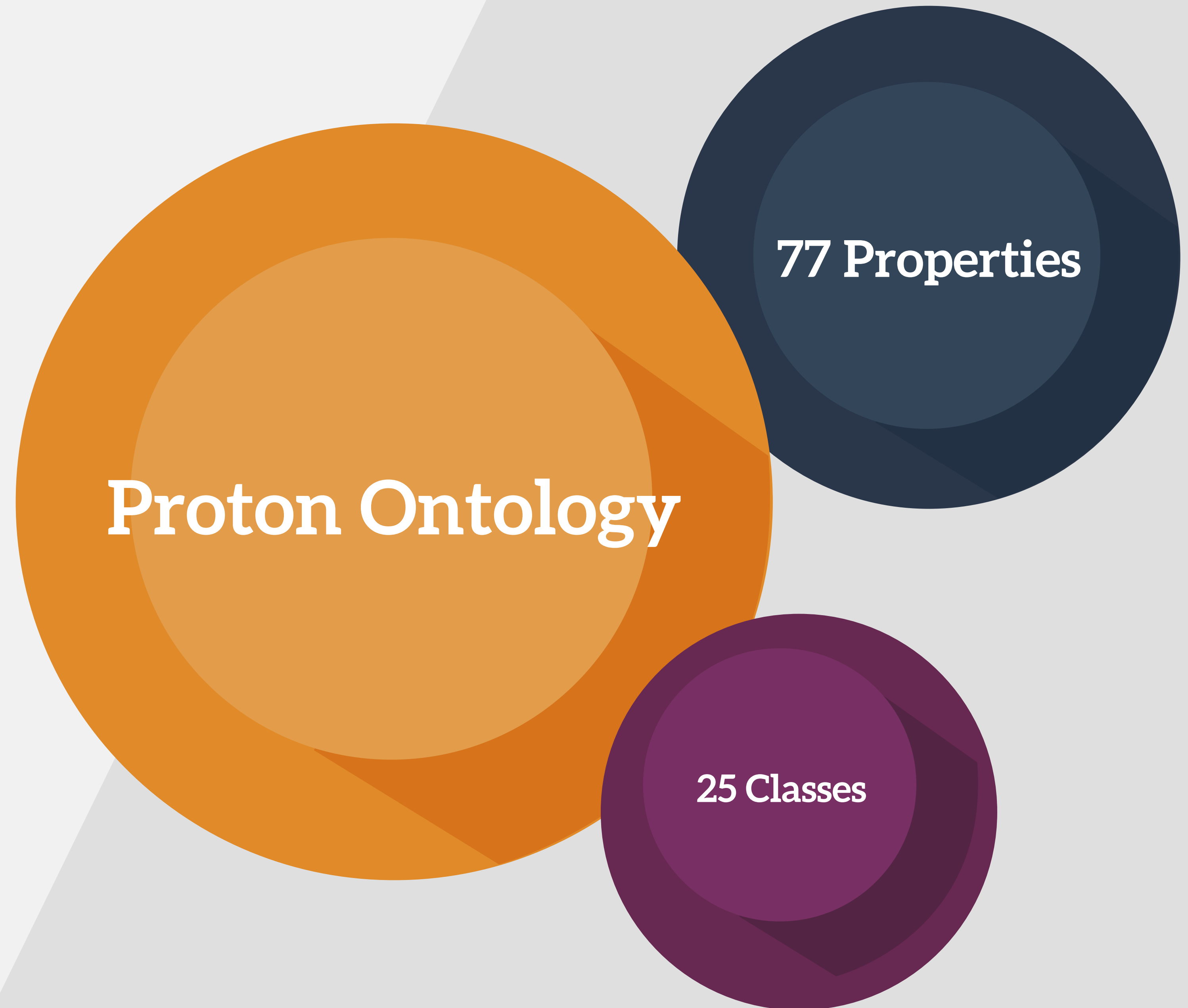


Ontology provides domain-specific knowledge



Neuro-symbolic network models neurons as formulae built as logical (first-order) rulesets

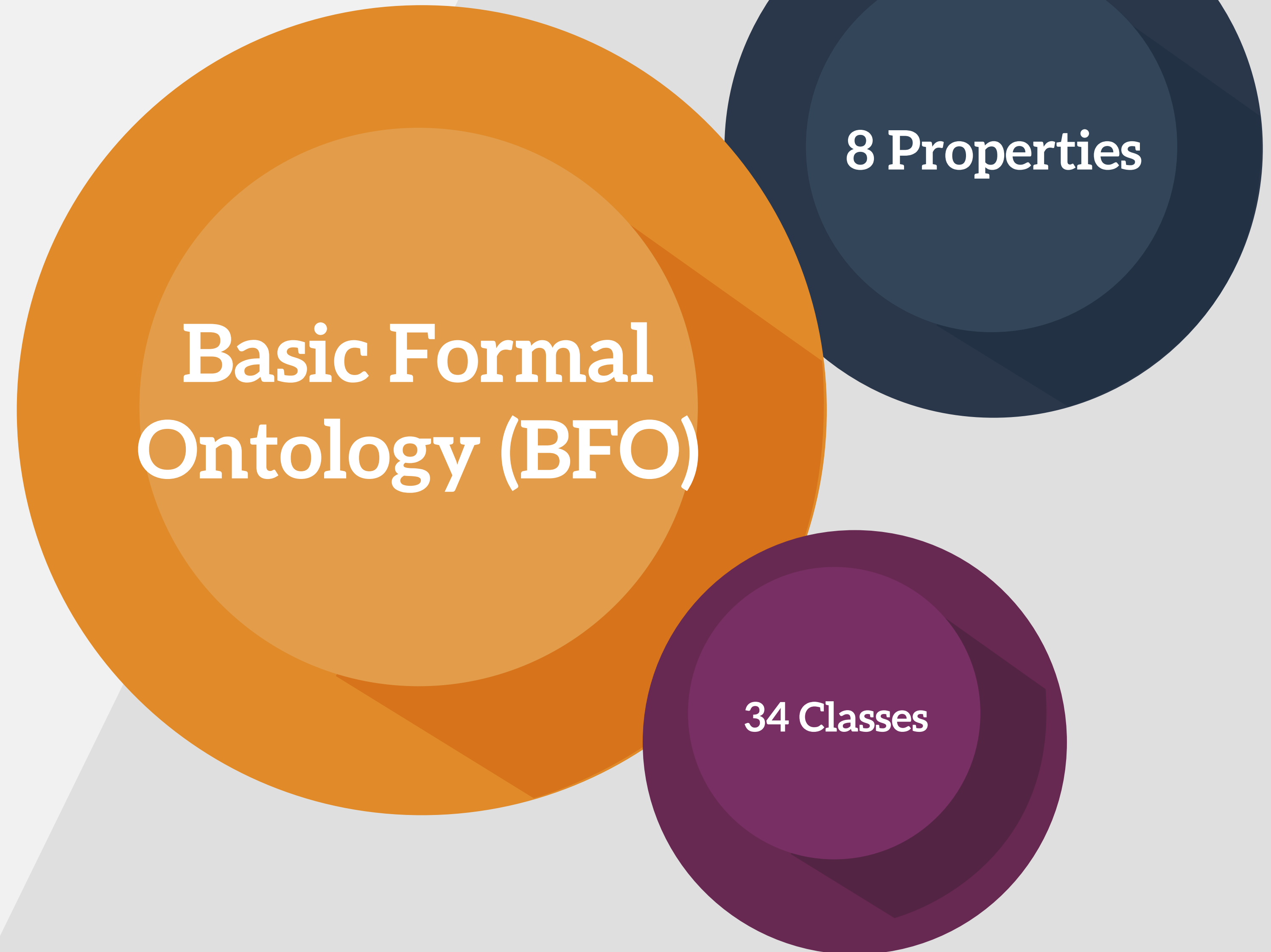
Experiment 1



Learning

- Ingest the Proton ontology
- Model classes as entities and properties as relationships in knowledge graph
- Build logical ruleset to capture nodes and edges
- Query LNN module to validate learned data

Experiment 2



Reasoning

- Ingest the BFO ontology
- Generate BFO knowledge graph
- Apply previous ruleset to deduce similarities
- Query LNN module to validate correct reasoning over common concepts and properties

Results

Axiom 1: propagate-class-instance-to-superclass (Axiom 1): $\forall x \forall y \forall z (instanceOf(x, y) \wedge subClassOf(y, z) \implies instanceOf(x, z))$

Axiom 2: propagate-class-property-to-instance (Axiom 2): $\forall x \forall y \forall z (instanceOf(x, y) \wedge propertyOf(z, y) \implies propertyOf(z, x))$

Axiom 3: propagate-subproperty-to-class (Axiom 3): $\forall x \forall y \forall z (subPropertyOf(x, y) \wedge propertyOf(y, z) \implies propertyOf(x, z))$

Axiom 4: propagate-inverse-to-class (Axiom 4): $\forall x \forall y \forall z (inverseOf(x, y) \wedge propertyOf(y, z) \implies propertyOf(x, z))$

First-Order Logical Experimental Ruleset

Element	Type	Initial	Created	Extended	Retained	Score
Class	Node	57	0	0	57	100%
Property	Node	75	0	0	75	100%
Instance	Node	0	3	0	3	100%
propertyOf	Relation	60	0	3	63	100%
subPropertyOf	Relation	30	0	0	30	100%
inverseOf	Relation	7	0	0	7	100%
subClassOf	Relation	57	0	0	57	100%
instanceOf	Relation	0	3	6	9	100%

KD-LNN learning and reasoning results

Conclusion

- KD-LNN leverages the power of Neural Networks to handle large-scale and complex data
- KD-LNN uses a rule-based framework to provide transparent, explainable and transferable learning
- KD-LNN is domain-agnostic
- KD-LNN overcomes the “Big Data” and compute constraints

Research Directions

- Domain-specific autonomous learners
- Consolidated Upper-Level Universal Ontology
- Multi-language conversational agents

Thank You